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# Projecting Dependency: CCG and Minimalism

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*“Chomsky’s Minimalist work began to appear, and I thought to myself: hey, this is like categorial grammar with movement, that’s very cool.”*  
(Adger, 2016)

# Prospectus

- The central problem in the theory of grammar is **displacement or non-adjacent dependency**.
- The response to this has been to introduce discontinuity or action-at-a-distance **in rules of grammar**, of which Movement is the general case.
- However, such rules are typically so expressive as to require **otherwise unmotivated attendant constraints**, making their **explanatory value questionable**.
- The present paper reduces movement to **pure type-dependent merger of contiguous categories**.

## Prospectus (Contd.)

- The key assumptions are:
  - **Categorial Grammar:** All constituents bear a Category of either **a function or an argument**.
  - **Case:** Counterintuitively, entities such as **subjects and objects are functors**, being syntactically and semantically **type-raised lexically** to make **verbs their arguments**.
  - **Combinatory Rules:** **Merger is generalized** from simple application of functions to contiguous arguments to composition of contiguous functions, **generalizing the classical notion of constituency**.
- The result is to reduce the combination of all “moved” elements with their residues to **exactly the same rules of adjacent merger** as that of the corresponding “in situ” complements with their heads.

## Inclusiveness

- The Inclusiveness Condition of Chomsky (1995b), and its predecessor the Projection Principle Chomsky (1981), require that **all language-specific details of combinatory potential, such as category, subcategorization, agreement, and the like, must be specified at the level of the lexicon, and must be either “checked” or “projected” unchanged by language-independent universal rules onto the constituents of the syntactic derivation.**
- In particular, the derivation **cannot add any information such as “indices, traces, syntactic categories or bar-levels and so on”** that has not already been specified there (Chomsky, 2001, 2001/2004).

# Movement

- Movement **seems to pose a problem for Inclusiveness**.
- Consider the following familiar example (Frost, 1923):  
(1) [[Whose woods]<sub>i</sub> these are t<sub>i</sub>]<sub>j</sub> I think I know t<sub>j</sub>.
- Such examples have appeared to require the inclusion of **discontinuity or displacement in rules themselves**, such as the rule MOVE, sometimes called “internal merge” ,

## Copies

- Nowadays, movement is usually talked of in terms of “copying”, rather than traces:
  - (2) [[Whose woods] these are [whose woods]] I think I know [[whose woods] these are [whose woods]].
- Crucially, **copies are thought of as identical**, in the sense of being mysteriously **simultaneously instantiated by the derivation** (Epstein and Seely, 2006; Chomsky, 2007).
- This suggests the upper “attractor” copy is **a variable binder**, while the lower “in situ” or “internal” copy is its **bound variable**, as in the post-derivational LF conversions of Fox (2002) and Heim and Kratzer (1998).
- ◊ Inclusiveness seems to require that **such binding be established in the lexicon**.

## Locality

- We are used to the idea that:
  - (a) **subcategorization** is specified **locally, in the lexicon**, and
  - (b) the **language-specific linearization** of those arguments at the level of phonetic form (pf) is **not necessarily the same** as their **universal order of dominance** at the level of lexical logical form, **represented here as a  $\lambda$ -term**:.
    - (3) a.  $\text{sees} := (S \setminus NP_{3s}) / NP : \lambda x \lambda y. \text{pres}(\text{see } xy)$
    - b.  $\text{Mary sees movies} := S : \text{pres}(\text{see movies mary})$
- Note the resemblance of Bare Phrase Structure “uninterpretable features” in “see” [V,  $uN$ ,  $uN$ ] (Chomsky, 1995a; Adger, 2003) to CG slashes
- Both denote **selection**, rather than GPSG style extraction

## A-movement

- Inclusiveness says we must also specify “raising” or A movement in the lexicon. Well, **why not?**
  - a.  $\text{seems} := (S \setminus NP_{3s}) / VP_{to} : \lambda p \lambda y. pres(\text{seem}(p y))$
  - b.  $\text{Mary seems to be happy} := S : pres(\text{seem}(\text{happy mary}))$
- The binder  $\lambda y$  and the bound  $y$  do the work of **copy-movement**: the  $y$  are **identical and simultaneously instantiated** at the level of  $lf$  by the value *mary*. The variable  $y$  is **dominated by tense**, while the binder  $\lambda y$  **dominates tense**, and the NP “Mary” is aligned to the left of “seems” in  $pf$  by the syntactic type.
- (4) **builds A-movement in** to the lexical entry.
- In fact, **the same was true for simple subcategorization (3)**.



## Case and Lexical Type-raising

- For reasons that will become apparent later, CCG assumes that arguments such as subjects and other NPs are **lexically type-raised** to be (second-order) **functors over the verbs that subcategorize for them** as subject, object, etc.:

$$(5) \text{ Mary} := \begin{array}{l} S/(S \setminus NP) : \lambda p.p \text{ mary} \\ (S \setminus NP) \setminus ((S \setminus NP) / NP) : \lambda p.p \text{ mary} \\ \text{etc.} \end{array}$$

- We identify these categories with **(nominative, accusative etc.) Case**, despite its morpholexical **ambiguity in English**, resolved by rigid word order, unlike Latin. (Cf. Vergnaud, 1977/2006).
- Since the main effect of case-as-type-raising is to reverse the direction of combination, and the If is invariant, it will often be convenient to **abbreviate raised types as e.g.  $NP^\uparrow$** , meaning “whatever raised type the derivation needs.”

## Application Merge

- The two **simplest forms of directionally-specified contiguous merge** constitute application of a function to an argument:

(6) *Contiguous Merge I: The Application Rules:*

a. Forward Application

$$X/_*Y : f \quad Y : a \quad \Rightarrow \quad X : f a \quad (>)$$

b. Backward Application

$$Y : a \quad X \backslash_* Y : f \quad \Rightarrow \quad X : f a \quad (<)$$

- Like all rules here, Application is subject to the **Principle of Adjacency** that all inputs must be **string-adjacent and non-empty**, and the **Principle of Consistency**, that combination must be **consistent with the directionality of the governing category**  $X/Y$  or  $X \backslash Y$ .

## Application-only Derivations

- Thus we have:

$$\begin{array}{c}
 (7) \quad \text{Mary} \qquad \qquad \qquad \text{sees} \qquad \qquad \qquad \text{movies} \\
 \hline
 S/(S \setminus NP) : \lambda p.p \text{ mary} \quad (S \setminus NP)/NP : \lambda x \lambda y. \text{pres}(\text{see } xy) \quad (S \setminus NP) \setminus ((S \setminus NP)/NP) : \lambda p.p \text{ movies} \\
 \hline
 S/NP : \lambda y. \text{pres}(\text{see movies } y) \quad \leftarrow \\
 \hline
 S : \text{pres}(\text{see movies mary}) \quad \rightarrow
 \end{array}$$

$$\begin{array}{c}
 (8) \quad \text{Mary} \qquad \qquad \qquad \text{seems} \qquad \qquad \qquad \text{happy} \\
 \hline
 S/(S \setminus NP) : \lambda p.p \text{ mary} \quad (S \setminus NP)/AP : \lambda p \lambda y. \text{pres}(\text{seem}(py)) \quad (S \setminus NP) \setminus ((S \setminus NP)/AP) : \lambda p.p \text{ happy} \\
 \hline
 S/NP : \lambda y. \text{pres}(\text{seem}(\text{happy } y)) \quad \leftarrow \\
 \hline
 S : \text{pres}(\text{seem}(\text{happy mary})) \quad \rightarrow
 \end{array}$$

## Composition Merge

- Functor categories can not only apply: they can also **compose with another functor** to yield a new functor:

(9) *Contiguous Merge IIa: The Composition Rules (B)*:

a. Forward Composition:

$$X/\diamond Y : f \quad Y/Z : g \Rightarrow X/Z : \lambda z.f(gz) \quad (>\mathbf{B})$$

b. Backward Composition:

$$Y\backslash Z : g \quad X\backslash\diamond Y : f \Rightarrow X\backslash Z : \lambda z.f(gz) \quad (<\mathbf{B})$$

c. Forward Crossing Composition:

$$X/\times Y : f \quad Y\backslash Z : g \Rightarrow X\backslash Z : \lambda z.f(gz) \quad (>\mathbf{B}_\times)$$

d. Backward Crossing Composition:

$$Y/Z : g \quad X\backslash\times Y : f \Rightarrow X/Z : \lambda z.f(gz) \quad (<\mathbf{B}_\times)$$

- The above rules conform to a further **Principle of Inheritance** that any argument Z that appears on the result must have the same directionality as on the input.

## Raising and *There*-Insertion

- (10) Fairies                      seem                      to                      be                      at the bottom of our garden.

$$\begin{array}{c}
 S/(S \setminus NP_{3p}) \quad (S_{pred} \setminus NP_{3p})/VP_{to,pred} \quad VP_{to,pred}/VP_{pred} \quad VP_{pred}/XP_{pred} \quad PP_{pred_{stg}}^\uparrow \\
 : \lambda p.pfairies \quad : \lambda p \lambda y.pres(seem(p)y) \quad : \lambda p \lambda y.p y \quad : \lambda p \lambda y.p y \quad : \lambda y.at(bottom\ garden)y \\
 \hline
 \hline
 \hline
 VP_{to,pred}/XP_{pred} : \lambda p \lambda y.p y \quad \xrightarrow{>B} \\
 \hline
 (S_{pred} \setminus NP_{3p})/VP_{to,pred} : \lambda p \lambda y.pres(seem(p)y) \quad \xrightarrow{>B} \\
 \hline
 S_{pred_{stg}} \setminus NP_{3p} : \lambda y.pres(seem(at(bottom\ garden))y) \quad \xleftarrow{<} \\
 \hline
 S_{pred_{stg}} : pres(seem(at(bottom\ garden))fairies) \quad \xrightarrow{>}
 \end{array}$$

- (11)                      There                      seem to be                      fairies                      at the bottom of our garden.

$$\begin{array}{c}
 ((S/XP_{pred_{stg}})/NP_{agr_i})/((S_{pred_{stg}} \setminus NP_{agr_i})/XP_{pred_{stg}}) \quad (S_{pred} \setminus NP_{3p})/XP_{pred} \quad NP_{3p}^\uparrow \quad PP_{pred_{stg}}^\uparrow \\
 : \lambda c \lambda y \lambda p.c(p)y \wedge \mathbf{new} y \quad : \lambda p \lambda y.pres(seem(p)y) \quad : \lambda p.pfairies \quad : \lambda y.at(bottom\ garden)y \\
 \hline
 (S/XP_{pred_{stg}})/NP_{3p} : \lambda y \lambda p.pres(seem(p)y) \wedge \mathbf{new} y \quad \xrightarrow{>} \\
 \hline
 S_{pred_{stg}}/XP_{pred_{stg}} : \lambda p.pres(seem(pfairies)) \wedge \mathbf{new} fairies \quad \xleftarrow{<} \\
 \hline
 S : pres(seem(at(bottom\ garden)fairies)) \wedge \mathbf{new} fairies \quad \xrightarrow{>}
 \end{array}$$

## What about $\bar{A}$ -movement?

- Inclusiveness seems to require **also lexicalizing  $\bar{A}$ -movement**.
- Doing so will **fully reduce MOVE to contiguous MERGE**.
- Such a result will finally **deliver on the promise** of Epstein *et al.* (1998); Chomsky (2001/2004), and Epstein and Seely (2006), by **formally defining** “internal” merge as “external” or type-dependent, rather than structure-dependent.

## Lexicalizing $\bar{A}$ -movement

- There seem to be **two ways** to lexicalize  $\bar{A}$ -movement:
  1. The **verb is the head** of the *wh*-dependency (**TAG**, Joshi and Schabes, 1997; **GPSG**, Gazdar, 1981):
  2. The ***wh*-item is the head** of the *wh*-dependency (**CCG**, Steedman, 1987, 1996):
    - a.  **$who := S_{whq}/(S_{inv}/NP) : \lambda p.p\ who$**
    - b.  **$[Who]_{S_{whq}/(S_{inv}/NP)} [does\ Mary\ see]_{S_{inv}/NP} := S : pres (see\ who\ mary)$** 
      - The lexical category (a) for “who” **defines the unbounded domain of the *wh*-dependency via the variable  $p$ .**
      - “Does Mary see” in (b) **must be derived as a constituent of type  $S_{inv}/NP$ ,** in which  $/NP$  indicates general selection, rather than anything specific to extraction, as follows:

## Wh-questions

- (12)
 

|  |                                    |                                   |                                  |
|--|------------------------------------|-----------------------------------|----------------------------------|
| Who  | does                               | Mary                              | see?                             |
| $S_{whq}/(S_{inv}/NP)$                     | $(S_{inv}/VP)/NP_{3s}$             | $(S/VP)\setminus((S/VP))/NP_{3s}$ | $VP/NP$                          |
| $: \lambda p \lambda x. p x$               | $: \lambda y \lambda p. pres(p y)$ | $: \lambda p. p mary$             | $: \lambda x \lambda y. see x y$ |
| $S_{inv}/VP : \lambda p. pres(p mary)$     |                                    |                                   | <                                |
| $S_{inv}/NP : \lambda x. pres(see x mary)$ |                                    |                                   | > <b>B</b>                       |
| $S_{whq} : \lambda x. pres(see x mary)$    |                                    |                                   | >                                |

- (13) a. Who bought what?  
b. \*What did who buy?

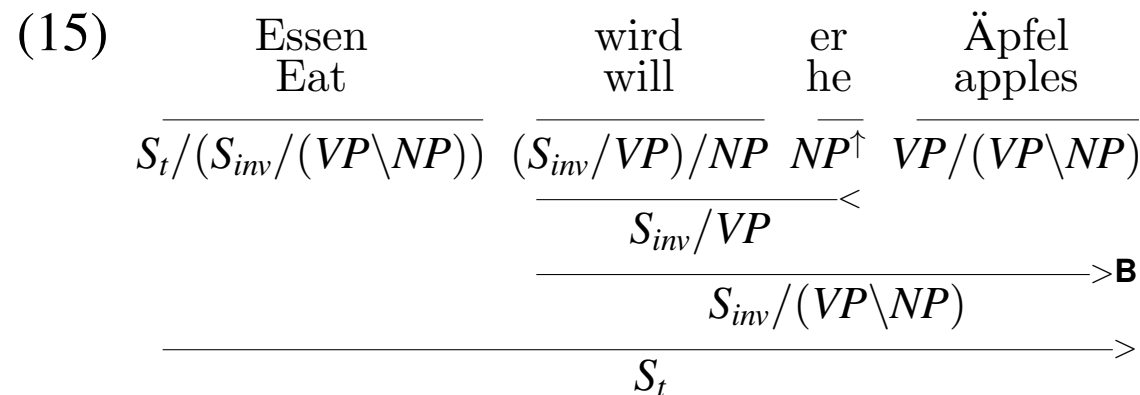
- (14) a. Who knows  $who_{S_{iq}/(S \setminus NP)}$  bought  $(S \setminus NP)/NP$  **what**  $S_{iq} \setminus (S_{iq}/NP)$ ?  
b. Who knows **what**  $S_{iq}/(S/NP)$   $who_{S_{iq}/(S \setminus NP)}$  bought  $(S \setminus NP)/NP$ ?

- “In situ” and “moved” *wh*-items **differ only in directionality.**



## Remnant/Head movement

- Derivation (12) depended on (a) assigning a fronting “mover” category  $S/(S/NP)$  to “who”; (b) the remainder of the sentence composing to form its argument  $S/NP$ .
- In English, even if we were to allow infinitival VO verbs a fronting category  $S/(S/(VP/NP))$ , the residue  $S/(VP/NP)$  cannot compose.
- However, German can and does do exactly this with its OV verbs:



## Unbounded *Wh*-movement

- (16) a. who, that :=  $(N_{agr} \setminus N_{agr}) / (S \setminus NP_{agr}) : \lambda p \lambda n \lambda y . n y \wedge p y$   
 b. who(m), that :=  $(N \setminus N) / (S / NP) : \lambda p \lambda n \lambda y . n y \wedge p y$

• (17)

|                                   |           |  |  |                                     |                 |                                    |                                      |
|-----------------------------------|-----------|--|--|-------------------------------------|-----------------|------------------------------------|--------------------------------------|
| a                                 | movie     | that   | Seymour  | thinks                              | that            | he                                 | likes                                |
| $NP_{3s}^\uparrow / N$            | $N$       | $(N \setminus N) / (S / NP)$                       | $S / (S \setminus NP_{3s})$  | $(S \setminus NP_{3s}) / S$         | $S / S$         | $S / (S \setminus NP_{3s})$        | $(S \setminus NP_{3s}) / NP$         |
| $: \lambda n \lambda p . p (a n)$ | $: movie$ | $: \lambda p \lambda n \lambda x . n x \wedge p x$ | $\lambda p . p seymour$  | $\lambda p \lambda y . think\ s\ y$ | $\lambda s . s$ | $: \lambda p . p he$               | $: \lambda x \lambda y . like\ x\ y$ |
|                                   |           |  | $\xrightarrow{>B}$   |                                     |                 | $\xrightarrow{>B}$                 |                                      |
|                                   |           |  | $S / S : \lambda s . think\ s\ seymour$  |                                     |                 | $S / NP : \lambda x . like\ x\ he$ |                                      |
|                                   |           |  | $\xrightarrow{>B}$   |                                     |                 | $\xrightarrow{>B}$                 |                                      |
|                                   |           |  | $S / S : \lambda s . think\ s\ seymour$  |                                     |                 | $\xrightarrow{>B}$                 |                                      |
|                                   |           |  | $\xrightarrow{>B}$   |                                     |                 | $\xrightarrow{>B}$                 |                                      |
|                                   |           |  | $S / NP : \lambda x . think\ (like\ x\ he)\ seymour$   |                                     |                 | $\xrightarrow{>B}$                 |                                      |
|                                   |           |  | $\xrightarrow{>B}$   |                                     |                 | $\xrightarrow{>B}$                 |                                      |
|                                   |           |  | $N \setminus N : \lambda n \lambda x . n x \wedge think\ (like\ x\ he)\ seymour$                   |                                     |                 | $\xrightarrow{>B}$                 |                                      |
|                                   |           |  | $\xrightarrow{<}$  |                                     |                 | $\xrightarrow{<}$                  |                                      |
|                                   |           |  | $N : \lambda x . movie\ x \wedge think\ (like\ x\ he)\ seymour$                                    |                                     |                 | $\xrightarrow{<}$                  |                                      |
|                                   |           |  | $\xrightarrow{>}$  |                                     |                 | $\xrightarrow{>}$                  |                                      |
|                                   |           |  | $NP_{3s}^\uparrow : \lambda p . p (a (\lambda x . movie\ x \wedge think\ (like\ x\ he)\ seymour))$ |                                     |                 | $\xrightarrow{>}$                  |                                      |

- (18) a. \*A man [that] $_{(N \setminus N) / (S \setminus NP)}$  **[[I think that] $_{S / S}$  [likes me] $_{S \setminus NP}$ ]** $_{*S \setminus NP}$   
 b. \*[I think] $_{S / S}$  Harry $_{S / (S \setminus NP)}$  [that likes me] $_{*S \setminus NP}$ .

## Wh-relativization (Skip)

- (19)
 

|   |                    |                                 |                                 |   |
|---|--------------------|---------------------------------|---------------------------------|---|
| whose   | woods              | these                           | are                             | I think I know  |
| $((S_t/(S/S_{iq}))/S/NP)/N$   | $N$                | $S/\rightarrow(S\backslash NP)$ | $(S\backslash NP)/NP$           | $S/S_{iq}$  |
| $: \lambda n \lambda p \lambda q. q(p(\textit{whose } n))$  | $: \textit{woods}$ | $: \lambda p. p \textit{these}$ | $: \lambda p \lambda y. p y$    | $: \lambda q. \textit{think}(\textit{know } q \textit{me}) \textit{me}$ |
| $(S_t/(S/S_{iq}))/S/NP$   | $\rightarrow$      |                                 | $S/NP$                          | $\rightarrow \mathbf{B}$  |
| $: \lambda p \lambda q. q(p(\textit{whose } \textit{woods}))$   |                    |                                 | $: \lambda p. p \textit{these}$ |   |
| $\rightarrow$   |                    |                                 |                                 |   |
| $S_t/(S/S_{iq})$  |                    |                                 |                                 |   |
| $: \lambda q. q(\textit{whose } \textit{woods } \textit{these})$  |                    |                                 |                                 |   |
| $\rightarrow$   |                    |                                 |                                 |   |
| $S_t : \textit{think}(\textit{know}(\textit{whose } \textit{woods } \textit{these}) \textit{me}) \textit{me}$ |                    |                                 |                                 |   |

- “Mover” categories like “whose woods” and “whose woods these are” are projected from a lexical head/specifier by derivation, together with their *wh*-dependenc(ies), here defined by variables *p* and *q*.

## An Aside on Constituency

- The above invocation of **derived entities** like  $[\text{seem to be}]_{(S \setminus NP_{agr})/VP_{to}}$ ,  $[\text{does Mary see}]_{S/NP}$ , and  $[\text{Seymour thinks that he likes}]_{S/NP}$  etc. amounts to the claim that **these entities are constituents**.
- While this goes against traditional narrower notions of constituency, traditional criteria (lexical substitution, movement, intonation, coordination) are **inconsistent**.
- In particular, we shall see that all and only CCG-typable entities can **undergo coordination**.
- Moreover, all and only they **can form intonational phrases** (Steedman, 2000a, 2014), consistent with a strong form of the MATCH theory of prosody (Selkirk, 2011).

## An Aside on the Binding Theory

- However, if they are constituents, **they must also be allowed in non-*wh* sentences**, consistent with the intonation shown here:

$$\begin{array}{c}
 (20) \quad \begin{array}{ccc}
 \text{The WOMAN} & \text{saw} & \text{a CAT} \\
 L + H^* & LH\% & H^* LL\%
 \end{array} \\
 \hline
 \begin{array}{ccc}
 S/\diamond_*(S \setminus NP) : \lambda p.p(\textit{the woman}) & (S \setminus NP)/NP : \lambda x \lambda y.\textit{saw} xy & S/\diamond_*(S/NP) : \lambda p.p(\textit{a cat}) \\
 \hline
 S/NP : \lambda y.\textit{saw} x(\textit{the woman}) & \xrightarrow{>B} & \\
 \hline
 S : \textit{saw}(\textit{a cat})(\textit{the woman}) & \xrightarrow{>} &
 \end{array}
 \end{array}$$

- ◇ It follows that **any part of the Binding Theory that actually depends on c-command must be defined at the level of If** (Chomsky, 1995b).

## An Aside on Reconstruction

- Like any theory that treats movement as  $\lambda$ -reduction, **reconstruction of *wh*-elements at *lf* is a theorem** (von Stechow, 1991).
- However, it is well known that such reconstruction fails to give rise to a binding condition violation in examples like the following, implying that **binding/coreference is not solely determined by structural command at any level**:

(21) Which article that Harry<sub>*i*</sub> read did he<sub>*i*</sub> file?

- ◊ This is **an open problem for any theory**, for which only technical solutions currently exist (Büring, 2005).

## Coordination: Right Node-raising

- (22)
 

|                                  |                                       |                                 |   |  |                                 |  |                                  |
|----------------------------------|---------------------------------------|---------------------------------|---|--|---------------------------------|--|----------------------------------|
| Alice                            | saw                                   | and                             | Mary  | said                                   | she                             | liked                                  | the movie                        |
| $S_{\phi^*}(S\backslash NP)$     | $(S\backslash NP)/NP$                 | $(X\backslash X)/X$             | $S_{\phi^*}(S\backslash NP)$  | $(S\backslash NP)/S$                   | $S_{\phi^*}(S\backslash NP)$    | $(S\backslash NP)/NP$                  | $S_{\phi^*}(S\backslash NP)$     |
| $:\lambda p.p\text{alice}$       | $:\lambda x\lambda y.past(see\ x\ y)$ | $:\lambda p\lambda q.p\sqcap q$ | $:\lambda p.p\text{mary}$   | $:\lambda s\lambda y.past(said\ s\ y)$ | $:\lambda p.p\text{her}$        | $:\lambda x\lambda y.past(like\ x\ y)$ | $:\lambda p.p(\text{the movie})$ |
| $\xrightarrow{>B} S/NP$          |                                       |                                 | $\xrightarrow{>B} S/S$  |  | $\xrightarrow{>B} S/NP$         |  |                                  |
| $:\lambda x.past(see\ x\ alice)$ |                                       |                                 | $:\lambda s.past(say\ (s\ y\ mary))$  |  | $:\lambda x.past(like\ x\ her)$ |  |                                  |
|                                  |                                       |                                 | $\xrightarrow{>B} S/NP$   |  |                                 |  |                                  |
|                                  |                                       |                                 | $:\lambda x.past(say\ (past(like\ x\ her))\ mary)$  |  |                                 |  |                                  |
|                                  |                                       |                                 | $\xrightarrow{<>} S/NP$   |  |                                 |  |                                  |
|                                  |                                       |                                 | $:\lambda x.(past(see\ x\ alice)) \wedge (past(say\ (past(like\ x\ her))\ mary))$                       |  |                                 |  |                                  |
|                                  |                                       |                                 | $\xrightarrow{<} S$   |  |                                 |  |                                  |
|                                  |                                       |                                 | $:\lambda x.(past(see\ (the\ movie)\ alice)) \wedge (past(say\ (past(like\ (the\ movie)\ her))\ mary))$ |  |                                 |  |                                  |

- As in the case of (20), it **does not follow that such derivations must give rise to reflexive binding anomalies, or exclude the narrow-scope existential reading for the following** (Steedman, 2000b, 2012):

(23) Every girl admires and every boy dislikes some saxophonist.

$\forall E/\exists A$





## Conclusion: On Locality

- All merger is **strictly contiguous**.
- The appearance of movement always arises from strictly contiguous merger of a **second-order functor** (the “mover” or “attractor”) with a **first-order functor** (the “residue of movement”)
  - In the case of raising, the second-order functor is a (type-raised) **subject**.
  - In the case of *wh*-movement, it is the ***Wh*-item**.
  - in the case of RNR etc., movers are also **type-raised arguments**.
- Since all arguments are type-raised, there is **no difference between “moved” and “in situ” merger** (cf. Richards, 2016.)
- The argument-types of both second-order mover and first-order residue are **projected from a lexical head/specifier**, such as a *wh*-item, determiner, or verb, by the derivation.

## Envoi

- Once you sign up to Inclusiveness, **Contiguity is the only Locality you need.**

# Questions





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